

# **Algebra 1 Part 1**

## **Siuslaw High School**

**Note to Students:** In this packet, you will find two weeks worth of activities to complete during this time.

# 1. Introduction

## 2. Methodology

Key

Algebra 1P

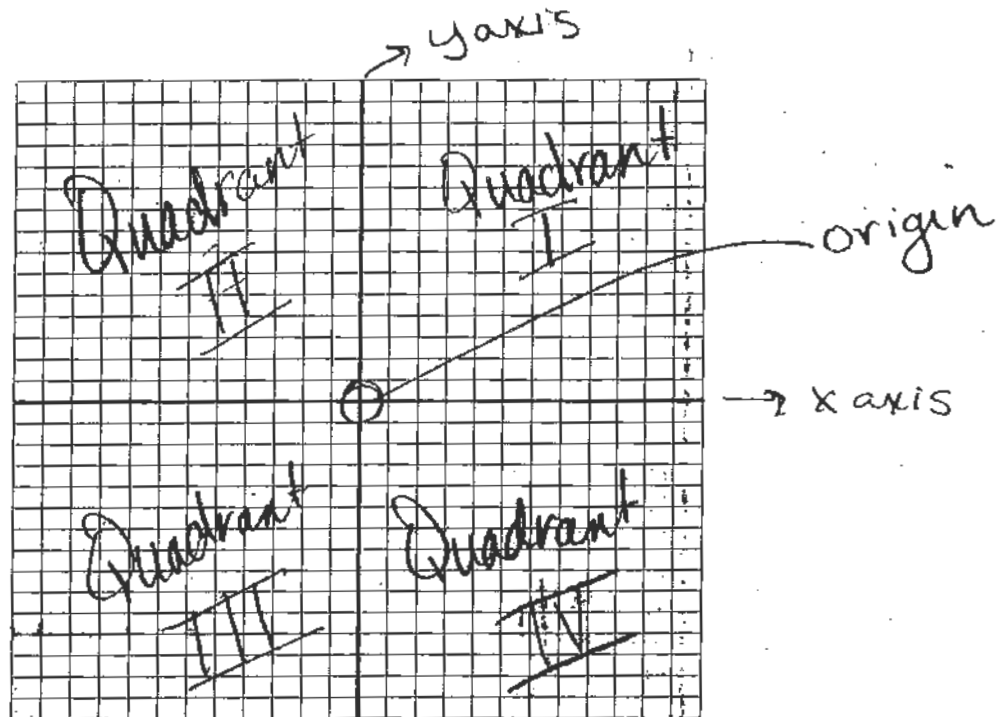
4<sup>th</sup> Quarter, Semester 2

Lesson D 11 - D/4

Lesson D 11 - Coordinate Plane, Quadrants, Coordinates, Graphing Points

**Definition:** A coordinate plane is formed by two real number lines that intersect at a right angle.

**EXAMPLE:**



**Parts of the Coordinate Plane (look at diagram above). Label above as we go through...**

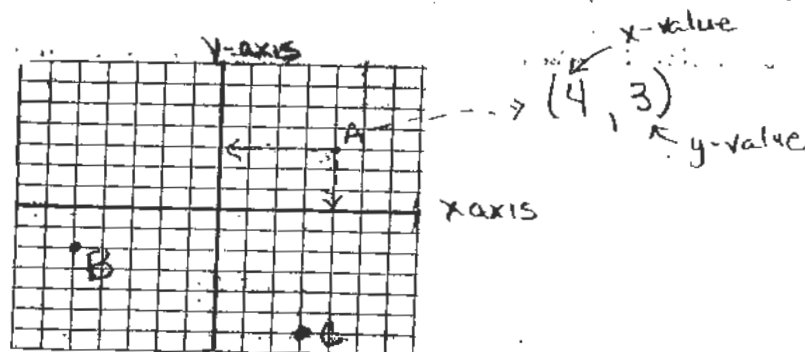
- 1) **x-axis:** This is the horizontal number line (horizontal axis.)
- 2) **y-axis:** This is the vertical number line (vertical axis.)
- 3) **origin:** This point where the x- and y-axes intersect.
- 4) **Quadrants:** The x and y-axes divide the plane into 4 regions called quadrants.

We use ROMAN NUMERALS to name Quadrants

**Coordinates:** Each point (dot) on the coordinate plane corresponds to an ordered pair of numbers. The order they are written in is important. An ordered pair consists of an x value and a y value and are written in this form:  $(x,y)$  Note they are in alphabetical order. Hence an ordered pair. Also note that the parentheses are a necessary part of the notation.

**Examples:** State the coordinate (ordered pair) for each point. The first is done for you.

- 1) A  $(4,3)$
- 2) B  $(-5,-2)$
- 3) C  $(3,-6)$



**Summary:** Each point is assigned a **UNIQUE** x-value and y-value. These values, written in the form (x,y) is the coordinate or ordered pair assigned to that point.

**Examples/Practice:** Identify the point (it's Letter) corresponding to each coordinate.

1) (3, -2) B

2) (-3, 5) A

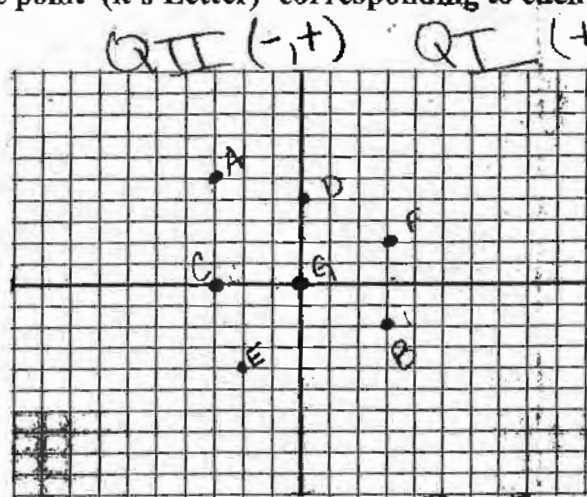
3) (0, 4) D

4) (-3, 0) C

5) (-2, -4) E

6) (3, 2) F

7) (0, 0) G



Also, the point (0,0) is known as the origin.

**Examples/Practice:** State whether the given point (coordinate) lies in a quadrant (use Roman Numerals) or on an axis (x-axis, y-axis or both axes).

1) (-3, 2) II

2) (-5, 4) II

3) (-1, 3) II

4) (2, 3) I

5) (5, 1) I

6) (3, 7) I

7) (-2, -3) III

8) (-4, -5) III

9) (-1, -4) III

10) (3, -2) IV

11) (5, -1) IV

12) (8, -4) IV

13) (0, -5) y axis

14) (0, 3) y axis

15) (0, 8) y axis

16) (3, 0) x axis

17) (-4, 0) x axis

18) (-2, 0) x axis

19) (0, 0) origin

Plot (put a dot where the point goes) the coordinates listed below on the coordinate plane. Label each point with its corresponding letter.

1) A (-3,4)

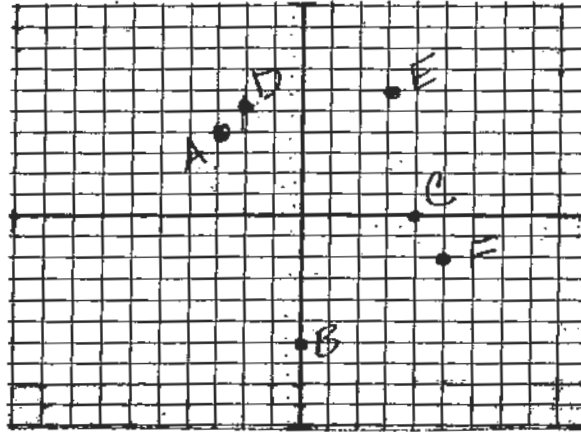
2) B (0,-6)

3) C (4,0)

4) D (-2,5)

5) E (3,6)

6) F (5,-2)



## Lesson D12

A line consists of an infinite amount of points in the form  $(x, y)$  – also known as coordinates or an ordered pair. A point on the graph of a line is a **solution** ( *answer* ) to the equation of that line. Because a line consists of an infinite amount of points, a linear equation has an infinite amount of solutions (points on the line).

Definition: Linear equation means

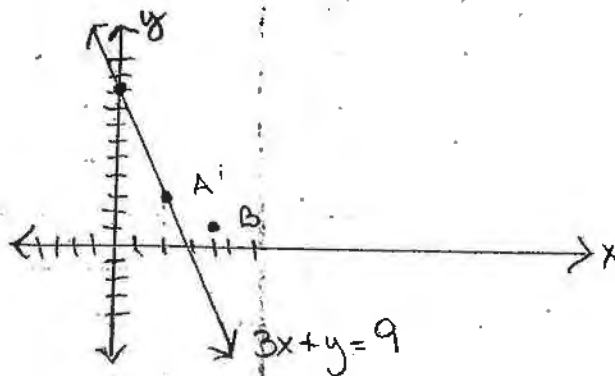
*line equation*

We will be looking at the linear equation  $3x + y = 9$ . It creates a line, non-ending, on a coordinate plane.

A **solution** to a linear equation (equation with  $x$  and  $y$  variables) is an **ordered pair**  $(x, y)$  that makes the equation a true statement. For example,  $(2, 3)$  is a solution to  $3x + y = 9$  because  $3(2) + 3 = 9$  is a true statement. However,  $(4, 1)$  is not a solution because  $3(4) + 1 = 9$  is a false statement. So to determine if an ordered pair is a solution (that is, a point is on the graph of the line), substitute the  $x$  and  $y$  values from the ordered pair into the linear equation and check to see if it produces a true statement.

**Example:** Since  $(2, 3)$  [point A] is a solution to  $3x + y = 9$ , it lies on the graph of the line  $3x + y = 9$ .

Since  $(4, 1)$  [point B] is not a solution to  $3x + y = 9$ , it does not lie on the graph of the line  $3x + y = 9$ .



**Examples/Practice:** Is the ordered pair a solution to the equation? Answer Yes or No.

1.  $(5, 2); 3x + 2y = 19$

$$3(5) + 2(2) = 19$$
$$15 + 4 = 19$$

yes

2.  $(4, -2); 4x - 3y = 22$

$$4(4) - 3(-2) = 22$$
$$16 + 6 = 22$$

yes

3.  $(-2, 1); 3x + 5y = 1$

$$3(-2) + 5(1) = 1$$
$$-6 + 5 = 1$$
$$-1 = 1$$

No

4.  $(-3, -4) y = x - 1$

$$-4 = -3 - 1$$
$$-4 = -4$$

yes

\* Always use a straight edge to draw the line.

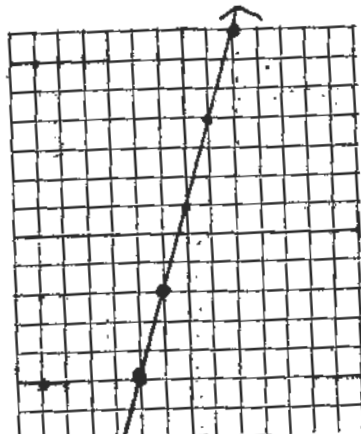
**GRAPHING USING AN XY-TABLE:** One method of graphing a linear equation (line) is to use an XY - Table of values. Using this method, one chooses x-values and substitutes these values into the equation to determine the corresponding y-values. You are actually finding points (x, y) on the line. Plot these points and then draw the line through the points.

**Examples/Practice: Make a table of values (5 values). Draw a graph for each.**

1.  $y = 3x + 1$

x	y
0	1
1	4
2	7
-1	-2
-2	-5

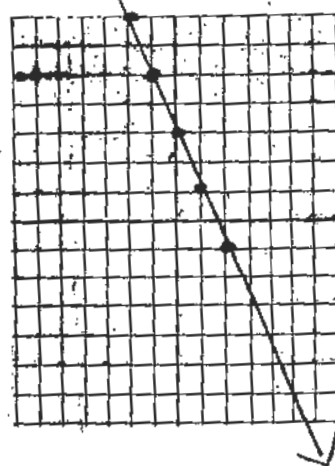
$3(0) + 1 = 1$   
 $3(1) + 1 = 3 + 1 = 4$   
 $3(2) + 1 = 6 + 1 = 7$   
 $3(-1) + 1 = -3 + 1 = -2$   
 $3(-2) + 1 = -6 + 1 = -5$



\* lines beyond edge of graph with arrows

2.  $y = -2x + 3$

x	y
-2	7
-1	5
0	3
1	1
2	-1



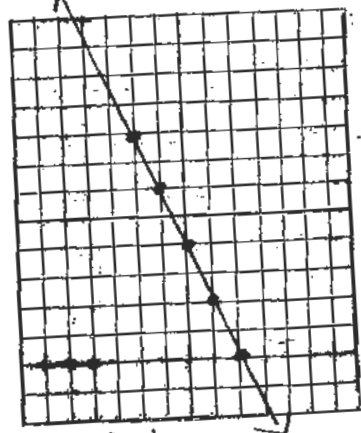
$-2(-2) + 3 = 7$   
 $-2(-1) + 3 = 5$   
 $-2(0) + 3 = 3$

$-2(1) + 3 = 1$   
 $-2(2) + 3 = -1$

3.  $y = -2x - 1$

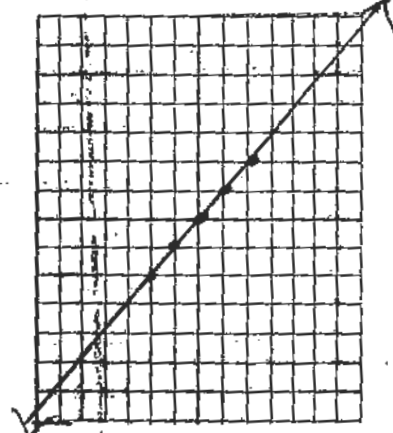
x	y
-2	3
-1	1
0	-1
1	-3
2	-5

$-2(-2) - 1 = 4 - 1 = 3$   
 $-2(-1) - 1 = 2 - 1 = 1$   
 $-2(0) - 1 = 0 - 1 = -1$   
 $-2(1) - 1 = -2 - 1 = -3$   
 $-2(2) - 1 = -4 - 1 = -5$



4.  $y = x$

x	y
-2	-2
-1	-1
0	0
1	1
2	2

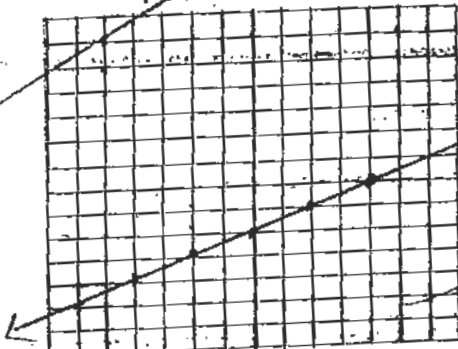


**HINT:** In problems like #3 and 4 below, choose x-values that are  $\pm$  multiples of the denominator. This will help "eliminate" any fractional y-values.

3.  $y = \frac{1}{2}x - 2$

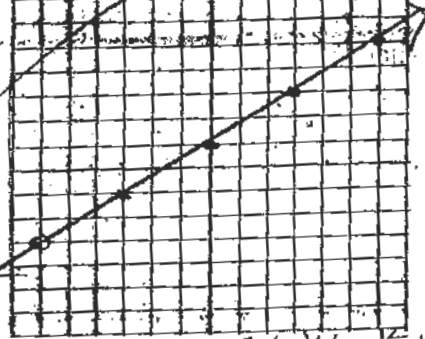
x	y
-4	-4
-2	-3
0	-2
2	-1
4	0

$\frac{1}{2}(-4) - 2 = -2 - 2 = -4$   
 $\frac{1}{2}(-2) - 2 = -1 - 2 = -3$   
 $\frac{1}{2}(0) - 2 = 0 - 2 = -2$   
 $\frac{1}{2}(2) - 2 = 1 - 2 = -1$   
 $\frac{1}{2}(4) - 2 = 2 - 2 = 0$



4.  $y = \frac{2}{3}x + 1$

x	y
-6	-3
-3	-1
0	1
3	3
6	5



$y = \frac{2}{3}(-6) + 1 = -4 + 1 = -3$   
 $y = \frac{2}{3}(-3) + 1 = -2 + 1 = -1$

$y = \frac{2}{3}(3) + 1 = 2 + 1 = 3$   
 $y = \frac{2}{3}(6) + 1 = 4 + 1 = 5$

## Lesson D13

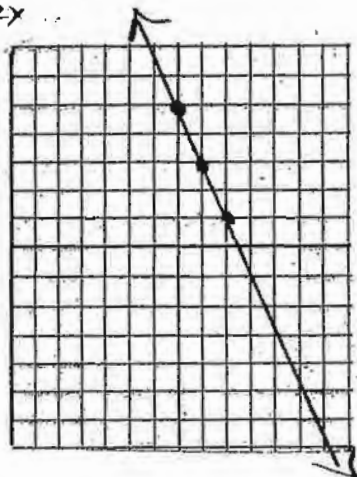
It is often easier to create an XY - Table when the equation is in the form of  $y = mx + b$ . So in the following examples/practice problems, first solve each equation for  $y$ . Now create your XY - Table of values, plot these points and draw your line.

- Examples/Practice: a) Solve for  $y$   
 b) Make an XY - Table of values (3)  
 c) Plot the points and draw the graph (line)

1.  $2x + y = 5$   
 $y = -2x + 5$

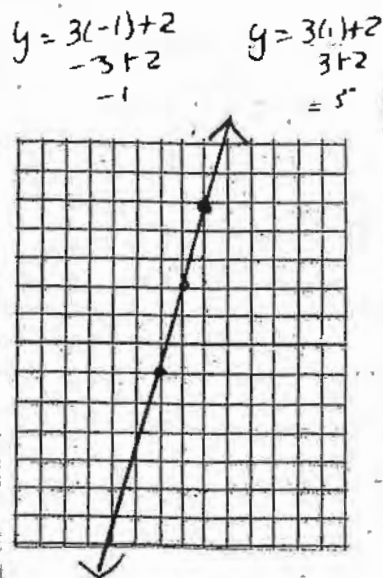
x	y
0	5
1	3
2	1

$y = -2(0) + 5$   
 $y = 5$   
 $y = -2(1) + 5$   
 $y = -2 + 5$   
 $y = 3$   
 $y = -2(2) + 5$   
 $y = -4 + 5$   
 $y = 1$



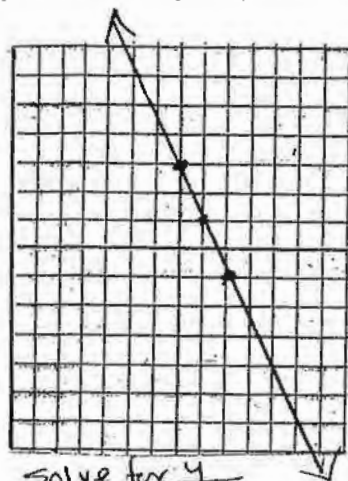
2.  $-3x + y = 2$   
 $y = 3x + 2$

x	y
-1	-1
0	2
1	5



3.  $4x + 2y = 6$

x	y
0	3
1	1
2	-1



$y = -2(0) + 3$   
 $y = 0 + 3$   
 $y = 3$

$y = -2(1) + 3$   
 $y = -2 + 3$   
 $y = 1$

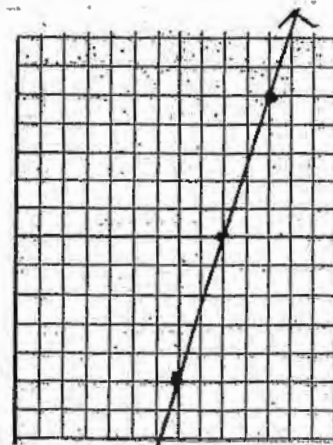
$y = -2(2) + 3$   
 $y = -4 + 3$   
 $y = -1$

Solve for  $y$   
 $4x + 2y = 6$   
 $-4x$   $-4x$

$2y = -4x + 6$   
 $y = -2x + 3$

4.  $5x - 2y = 10$

x	y
0	-5
2	0
4	5



$y = \frac{5}{2}(0) - 5$   
 $= 0 - 5$   
 $= -5$

$y = \frac{5}{2}(2) - 5$   
 $= \frac{10}{2} - 5$   
 $= 5 - 5$   
 $= 0$

Solve for  $y$

$5x - 2y = 10$   
 $-5x$   
 $-2y = -5x + 10$   
 $y = \frac{5}{2}x - 5$

$y = \frac{5}{2}(4) - 5$   
 $= \frac{20}{2} - 5$   
 $= 10 - 5$   
 $= 5$



## Lesson D14

It is often easier to create an XY-Table when the equation is in the form of  $y=mx+b$ . Notice that in the linear equations below, the  $x$  and  $y$  are on the same side. So in the following examples/practice problems, first solve each equation for  $y$ . Next, create your XY-Table of values, plot these points and draw your line.

### I. Is the ordered pair a solution to the equation?

1.  $(4, 3); y = \frac{1}{2}x + 1$

$$\begin{aligned} 3 &= \frac{1}{2}(4) + 1 \\ 3 &= \frac{4}{2} + 1 \\ 3 &= 2 + 1 \\ 3 &= 3 \\ \text{yes} \end{aligned}$$

2.  $(6, -2); y = \frac{2}{3}x - 6$

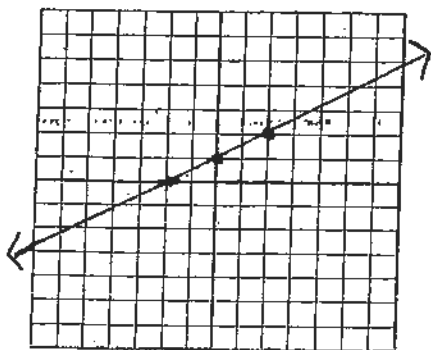
$$\begin{aligned} -2 &= \frac{2}{3}(6) - 6 \\ -2 &= \frac{12}{3} - 6 \\ -2 &= 4 - 6 \\ -2 &= -2 \\ \text{yes} \end{aligned}$$

### II. Make a table of values. Make a graph of each.

1)  $y = \frac{1}{2}x + 1$

x	y
-2	0
0	1
2	2

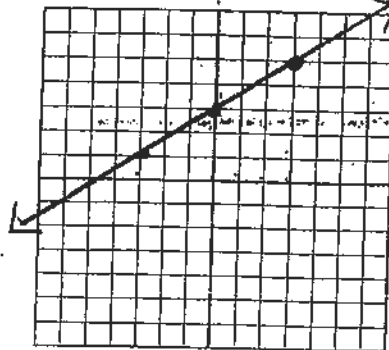
$$\begin{aligned} y &= \frac{1}{2}(-2) + 1 \\ &= -1 + 1 \\ &= 0 \\ y &= \frac{1}{2}(0) + 1 \\ &= 0 + 1 \\ &= 1 \\ y &= \frac{1}{2}(2) + 1 \\ &= 1 + 1 \\ &= 2 \end{aligned}$$



2)  $y = \frac{2}{3}x + 3$

x	y
-3	1
0	3
3	5

$$\begin{aligned} y &= \frac{2}{3}(3) + 3 \\ &= \frac{6}{3} + 3 \\ &= 2 + 3 \\ &= 5 \\ y &= \frac{2}{3}(-3) + 3 \\ &= -\frac{6}{3} + 3 \\ &= -2 + 3 \\ &= 1 \end{aligned}$$



# Algebra 1P

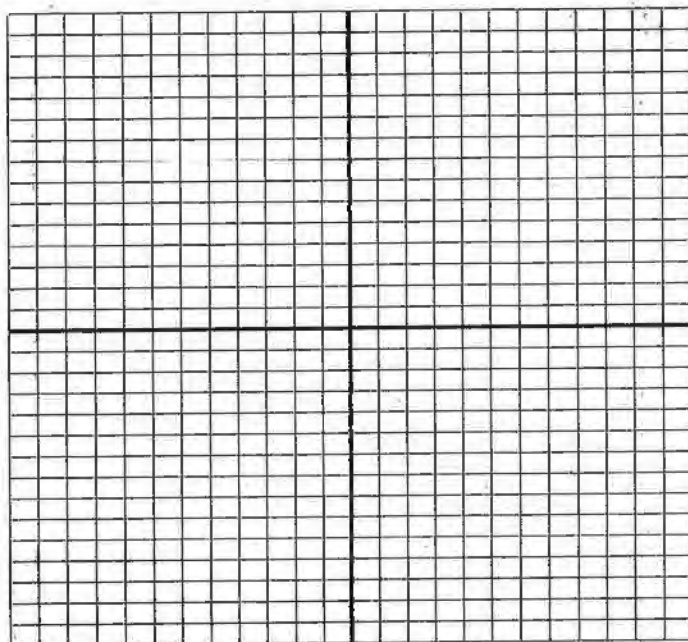
## 4<sup>th</sup> Quarter, Semester 2

### Lesson D 011 - 014

### Lesson D 011- Coordinate Plane, Quadrants, Coordinates, Graphing Points

**Definition:** A coordinate plane is formed by two real number lines that **intersect** at a right angle.

#### EXAMPLE:



**Parts of the Coordinate Plane (look at diagram above). Label above as we go through...**

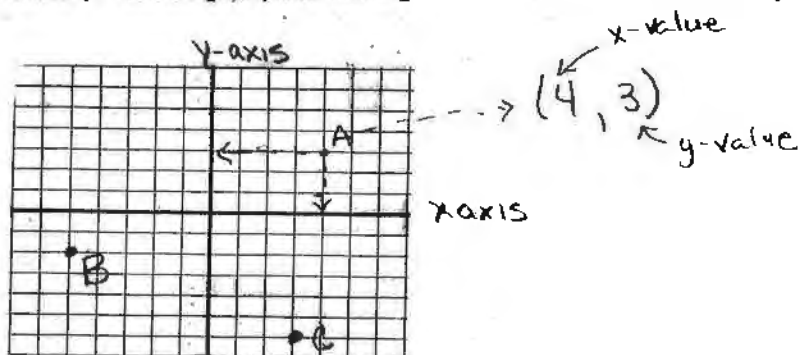
- 1) **x-axis:** This is the horizontal number line (horizontal axis.)
- 2) **y-axis:** This is the vertical number line (vertical axis.)
- 3) **origin:** This point where the x- and y-axes intersect.
- 4) **Quadrants:** The x and y-axes divide the plane into 4 regions called quadrants.

**We use ROMAN NUMERALS to name Quadrants**

**Coordinates:** Each point (dot) on the coordinate plane corresponds to an ordered pair of numbers. The order they are written in is important. An ordered pair consists of an x value and a y value and are written in this form:  $(x,y)$  Note they are in alphabetical order. Hence an ordered pair. Also note that the parentheses are a necessary part of the notation.

**Examples:** State the coordinate (ordered pair) for each point. The first is done for you.

- 1) A (4,3)
- 2) B \_\_\_\_\_
- 3) C \_\_\_\_\_



**Summary:** Each point is assigned a **UNIQUE** x-value and y-value. These values, written in the form (x,y) is the coordinate or ordered pair assigned to that point.

**Examples/Practice:** Identify the point (it's Letter) corresponding to each coordinate.

1) (3, -2) \_\_\_\_\_

2) (-3, 5) \_\_\_\_\_

3) (0,4) \_\_\_\_\_

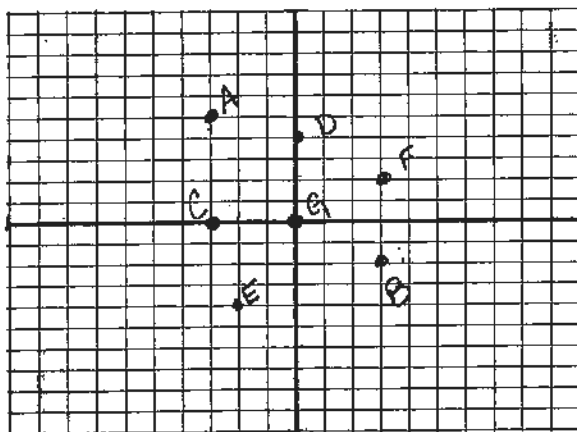
4) (-3,0) \_\_\_\_\_

5) (-2,-4) \_\_\_\_\_

6) (3,2) \_\_\_\_\_

7) (0,0) \_\_\_\_\_

Also, the point (0,0) is known as the \_\_\_\_\_.



**Examples/Practice:** State whether the given point (coordinate) lies in a quadrant (use Roman Numerals) or on an axis (x-axis, y-axis or both axes).

1) (-3,2) \_\_\_\_\_

2) (-5,4) \_\_\_\_\_

3) (-1,3) \_\_\_\_\_

4) (2,3) \_\_\_\_\_

5) (5,1) \_\_\_\_\_

6) (3,7) \_\_\_\_\_

7) (-2,-3) \_\_\_\_\_

8) (-4,-5) \_\_\_\_\_

9) (-1,-4) \_\_\_\_\_

10) (3,-2) \_\_\_\_\_

11) (5,-1) \_\_\_\_\_

12) (8,-4) \_\_\_\_\_

13) (0, -5) \_\_\_\_\_

14) (0,3) \_\_\_\_\_

15) (0,8) \_\_\_\_\_

16) (3,0) \_\_\_\_\_

17) (-4,0) \_\_\_\_\_

18) (-2,0) \_\_\_\_\_

19) (0,0) \_\_\_\_\_

**Plot (put a dot where the point goes) the coordinates listed below on the coordinate plane. Label each point with its corresponding letter.**

**1) A  $(-3,4)$**

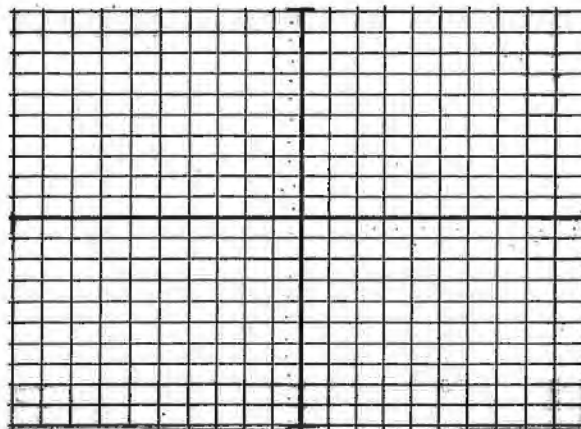
**2) B  $(0,-6)$**

**3) C  $(4,0)$**

**4) D  $(-2,5)$**

**5) E  $(3,6)$**

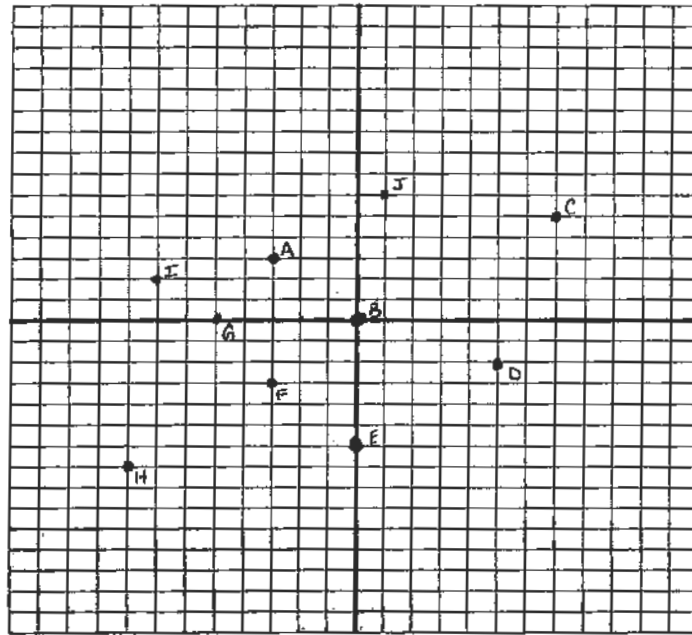
**6) F  $(5,-2)$**



## COORDINATE PLANE

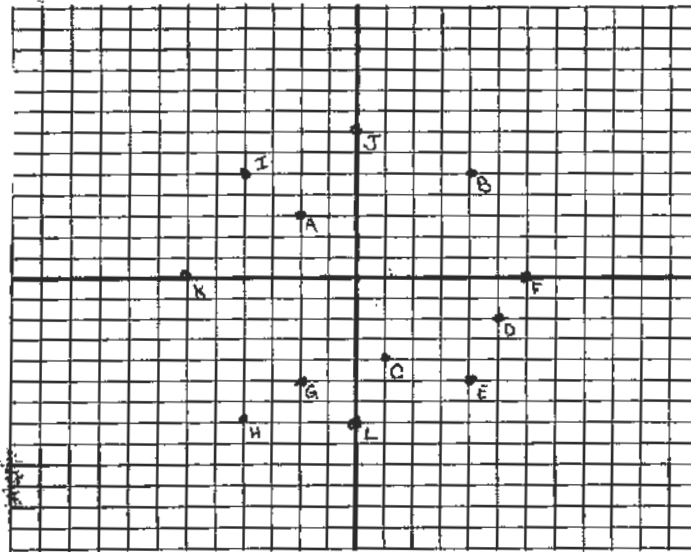
For 1-10, state the coordinate for each point. Use the coordinate plane below.

1. A \_\_\_\_\_
2. B \_\_\_\_\_
3. C \_\_\_\_\_
4. D \_\_\_\_\_
5. E \_\_\_\_\_
6. F \_\_\_\_\_
7. G \_\_\_\_\_
8. H \_\_\_\_\_
9. I \_\_\_\_\_
10. J \_\_\_\_\_



For 11-20, identify the point corresponding to each coordinate. Use the coordinate plane below.

11.  $(-2, 3)$  \_\_\_\_\_
12.  $(4, 5)$  \_\_\_\_\_
13.  $(-2, -5)$  \_\_\_\_\_
14.  $(0, 7)$  \_\_\_\_\_
15.  $(-6, 0)$  \_\_\_\_\_
16.  $(1, -4)$  \_\_\_\_\_
17.  $(-4, -7)$  \_\_\_\_\_
18.  $(5, -2)$  \_\_\_\_\_



**B. Refer to the first coordinate plane above to answer the following questions.**

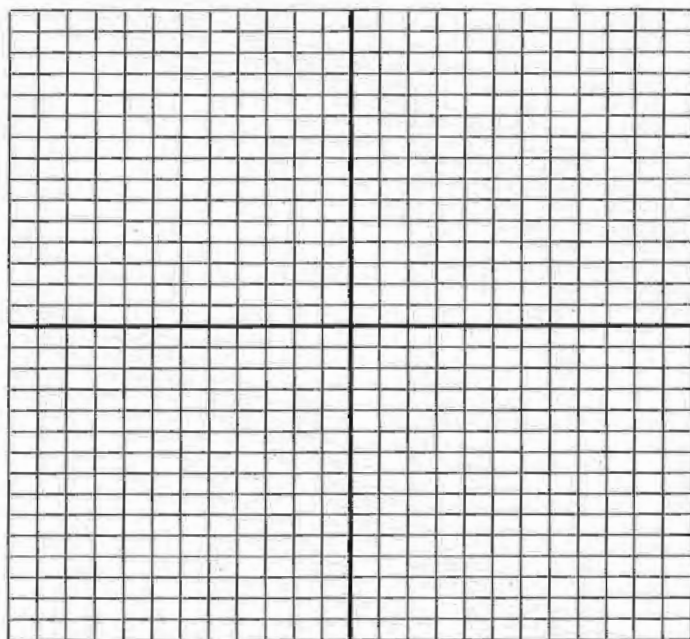
19. List all of the points that lie in Quadrant I. \_\_\_\_\_
20. List all of the points that lie in Quadrant II. \_\_\_\_\_
21. List all of the points that lie in Quadrant III. \_\_\_\_\_
22. List all of the points that lie in Quadrant IV. \_\_\_\_\_
23. List all of the points that lie on the x-axis. \_\_\_\_\_
24. List all of the points that lie on the y-axis. \_\_\_\_\_

**C.** For problems 25-32, state whether the given point (coordinate) lies in a Quadrant (I, II, III, or IV), on either the x-axis or y-axis, or both axes.

25.  $(-4, 5)$  \_\_\_\_\_ 26.  $(0, 5)$  \_\_\_\_\_ 27.  $(0, 0)$  \_\_\_\_\_ 28.  $(-4, 0)$  \_\_\_\_\_  
29.  $(6, 3)$  \_\_\_\_\_ 30.  $(-1, -9)$  \_\_\_\_\_ 31.  $(0, -3)$  \_\_\_\_\_ 32.  $(3, -7)$  \_\_\_\_\_

**D.** For problems 33-42, plot the points on the coordinate plane. Label each point with its corresponding letter.

33. A  $(-4, 9)$       34. B  $(-5, -12)$       35. C  $(10, 5)$       36. D  $(0, 7)$       37. E  $(-8, 0)$   
38. F  $(0, 0)$       39. G  $(5, -3)$       40. H  $(6, 0)$       41. I  $(4, 9)$       42. J  $(-4, -6)$



## Lesson D(2)

A line consists of an infinite amount of points in the form  $(x, y)$  – also known as coordinates or an ordered pair. A point on the graph of a line is a **solution** ( ) to the equation of that line. Because a line consists of an infinite amount of points, a linear equation has an infinite amount of solutions (points on the line).

Definition: Linear equation means

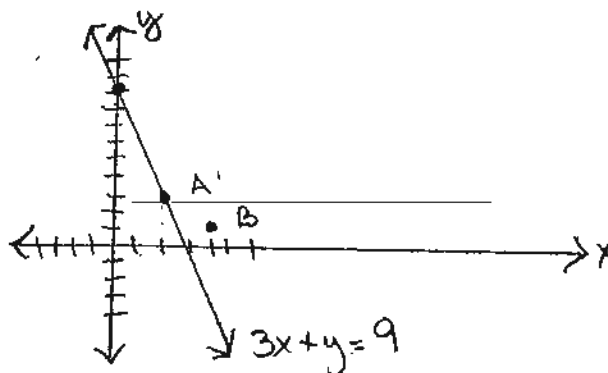
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We will be looking at the linear equation  $3x + y = 9$ . It creates a line, non-ending, on a coordinate plane.

A **solution** to a linear equation (equation with  $x$  and  $y$  variables) is an **ordered pair**  $(x, y)$  that makes the equation a true statement. For example,  $(2, 3)$  is a solution to  $3x + y = 9$  because  $3(2) + 3 = 9$  is a true statement. However,  $(4, 1)$  is not a solution because  $3(4) + 1 = 9$  is a false statement. So to determine if an ordered pair is a solution (that is, a point is on the graph of the line), substitute the  $x$  and  $y$  values from the ordered pair into the linear equation and check to see if it produces a true statement.

**Example:** Since  $(2, 3)$  [point A] is a solution to  $3x + y = 9$ , it lies on the graph of the line  $3x + y = 9$ .

Since  $(4, 1)$  [point B] is not a solution to  $3x + y = 9$ , it does not lie on the graph of the line  $3x + y = 9$ .



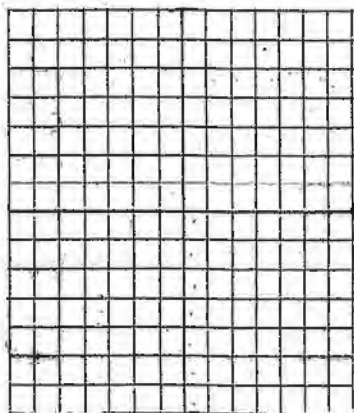
**Examples/Practice:** Is the ordered pair a solution to the equation? Answer Yes or No.

1.  $(5, 2)$ ;  $3x + 2y = 19$       2.  $(4, -2)$ ;  $4x - 3y = 22$       3.  $(-2, 1)$ ;  $3x + 5y = 1$

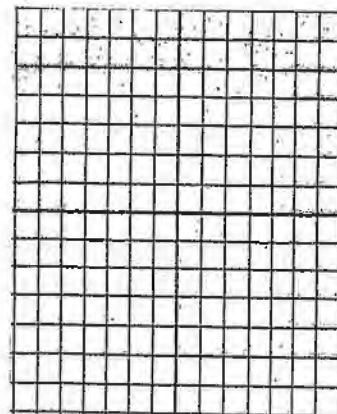
4.  $(-3, -4)$   $y = x - 1$

**Examples/Practice:** Make a table of values (5 values). Draw a graph for each.

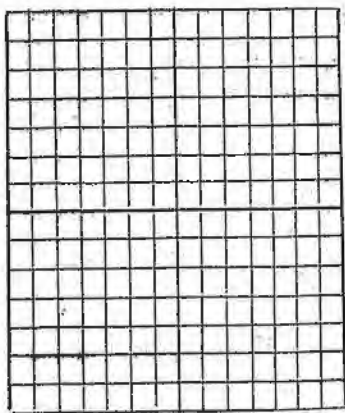
x	y
1	1
2	4
3	9
4	16
5	25
6	36
7	49
8	64
9	81
10	100



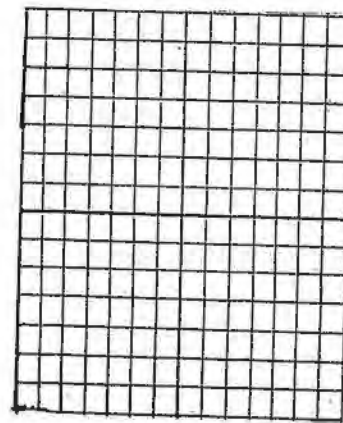
x	y
1	1
2	2
3	3
4	4
5	5
6	6
7	7
8	8
9	9
10	10
11	11
12	12
13	13
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97	97
98	98
99	99
100	100



x	y
1	1
2	2
3	3
4	4
5	5
6	6
7	7
8	8
9	9
10	10
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90	90
91	91
92	92
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94	94
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97	97
98	98
99	99
100	100



x	y
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## XY-TABLES &amp; GRAPHS I

**A. Is the ordered pair a solution to the equation?**

1.  $(2, 3); 2x + 3y = 13$

2.  $(4, 1); x + 2y = 5$

3.  $(2, -1); 2x - y = 3$

4.  $(-1, -4); y = x - 3$

5.  $(0, -6); 2x + 3y = -18$

6.  $(4, -1); 3x - y = 11$

7.  $(-2, -3); y = x - 1$

8.  $(1, 7); y = 2x + 5$

**B. Make a table of values. Draw a graph for each.**

9.  $y = 2x + 1$

10.  $y = 3x - 1$

11.  $y = 4x + 2$

12.  $y = x + 2$

13.  $y = x$

14.  $y = -2x + 1$

15.  $y = -3x - 1$

16.  $y = -x + 2$

17.  $y = -3x + 4$

18.  $y = -x$

19.  $y = 2x + 5$

20.  $y = -4x + 3$

21.  $y = 5x - 3$

22.  $y = x - 2$

23.  $y = -2x - 1$ 

---

## Lesson 13

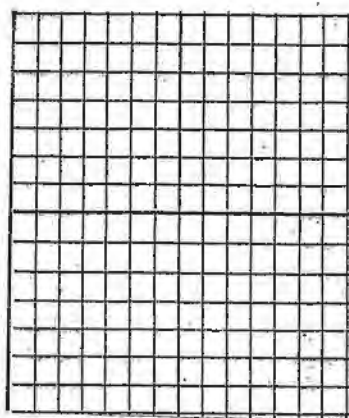
It is often easier to create an XY - Table when the equation is in the form of  $y = mx + b$ . So in the following examples/practice problems, first solve each equation for y. Now create your XY - Table of values, plot these points and draw your line.

**Examples/Practice:**

- Solve for y
- Make an XY - Table of values (3)
- Plot the points and draw the graph (line)

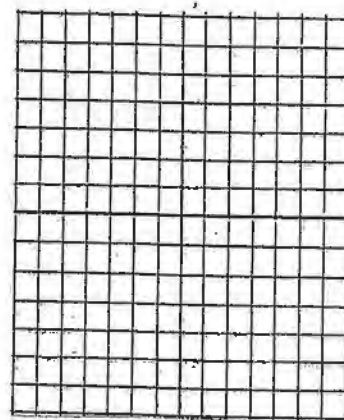
$$1. \quad 2x + y = 5$$

x	y
1	1
2	4
3	9
4	16
5	25
6	36
7	49
8	64
9	81
10	100



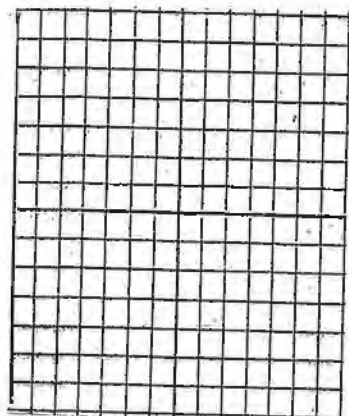
2.  $-3x + y = 2$

x	y
1	1
2	2
3	3
4	4
5	5
6	6
7	7
8	8
9	9
10	10
11	11
12	12
13	13
14	14
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97	97
98	98
99	99
100	100



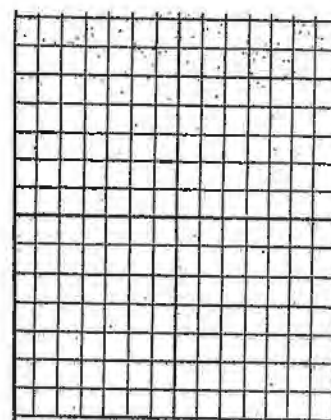
3.  $4x + 2y = 6$

x	y
1	1
2	2
3	3
4	4
5	5
6	6
7	7
8	8
9	9
10	10



4.  $5x - 2y = 10$

x	y
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## XY TABLE &amp; GRAPH III

- a) Solve for y.
- b) Make a table of values.
- c) Draw a graph for each.

- A.
- |                   |                     |
|-------------------|---------------------|
| 1. $x + y = 6$    | 9. $6x + 3y = 9$    |
| 2. $3x + y = 2$   | 10. $4x + 2y = 8$   |
| 3. $-2x + y = 5$  | 11. $10x + 5y = 10$ |
| 4. $-3x + y = 1$  | 12. $-8x + 2y = 16$ |
| 5. $-7x + y = 2$  | 13. $-6x - 2y = 12$ |
| 6. $-4x + y = 1$  | 14. $-12x - 2y = 2$ |
| 7. $-5x + y = -2$ | 15. $-9x + 3y = -6$ |
| 8. $-6x + y = -3$ | 16. $-20x - 4y = 8$ |

## Lesson D14

It is often easier to create an XY-Table when the equation is in the form of  $y=mx+b$ . Notice that in the linear equations below, the  $x$  and  $y$  are on the same side. So in the following examples/practice problems, first solve each equation for  $y$ . Next, create your XY-Table of values, plot these points and draw your line.

I. Is the ordered pair a solution to the equation?

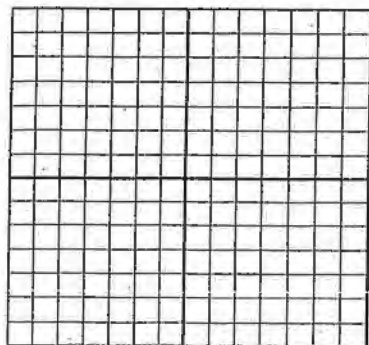
1.  $(4, 3); y = \frac{1}{2}x + 1$

2)  $(6, -2); y = \frac{2}{3}x - 6$

II. Make a table of values. Make a graph of each.

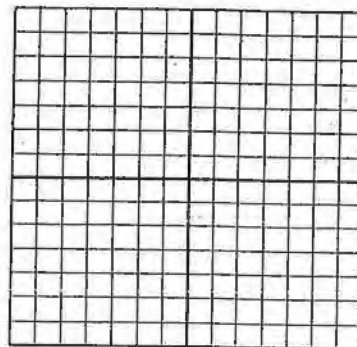
1)  $y = \frac{1}{2}x + 1$

x	y



2)  $y = \frac{2}{3}x + 3$

x	y



**I. Is the ordered pair a solution to the equation?**

1.  $(4, 3); y = \frac{1}{2}x + 1$

2.  $(2, 5); y = \frac{3}{2}x + 2$

3.  $(-2, 3); y = \frac{1}{2}x - 2$

4.  $(6, -2); y = \frac{2}{3}x - 6$

5.  $(-4, 1); y = \frac{1}{2}x + 1$

6.  $(-6, 3); y = \frac{-2}{3}x - 1$

**II. Make a table of values. Make a graph of each.**

1.  $y = \frac{1}{2}x + 3$

5.  $y = \frac{2}{3}x - 1$

9.  $y = \frac{-1}{2}x + 2$

2.  $y = \frac{1}{3}x + 1$

6.  $y = \frac{3}{2}x + 2$

10.  $y = \frac{-2}{3}x + 1$

3.  $y = \frac{1}{4}x + 2$

7.  $y = \frac{3}{4}x - 2$

11.  $y = \frac{-3}{4}x + 2$

4.  $y = \frac{1}{5}x - 3$

8.  $y = \frac{2}{5}x - 3$

12.  $y = \frac{-2}{5}x + 4$

