## Standards Based Map

## Grade 4 Math

| Timeline | NxG Standard(s) | Student I <br> Can <br> Statement(s) <br> / Learning <br> Target(s) | Essential Questions | Academic Vocabulary | Strategies / Activities | Resources / Materials | Assessment | Notes Self Reflection |
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| $\begin{aligned} & \text { Quarter } \\ & 3 \end{aligned}$ | M.4.G. 1 <br> Draw points, lines, line segments, rays, angles (right, acute, obtuse ) and perpendicular and parallel lines and identify these in twodimensional figures. | I can draw and identify points, lines, line segments, angles, rays, perpendicular and parallel lines. |  | - 2 dimensional <br> - Angles <br> - Right <br> - Acute <br> - Obtuse <br> - Line segments <br> - Attribute <br> - Symmetry <br> - Parallel <br> - Perpendicular <br> - Properties of geometric figures <br> - Angle measure <br> - Models <br> - Accurate | Using analog clock identify times that represent the following obtuse, acute, and right angles. <br> Reconfigure for central, pacific, and mountain time zones. <br> Venn Diagrams, Tchart, card games | Analog clocks | Selected response <br> Performance assessment <br> Discussion <br> Teacher observation |  |


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| Quarter 3 | M.4.G. 2 <br> Classify twodimensional figures based on the presence or absence of parallel or perpendicular lines or the presence or absence of angles of a specified size, recognize right triangles as a category and identify right triangles. | I can classify 2D figures based upon lines and angles. | How are 2D shapes identified? | - acute <br> - angle <br> - line <br> - parallel <br> - perpendicular <br> - right, <br> - obtuse <br> - 2 dimensional figure | Venn diagram <br> Using 2D figures, students discuss the attributes specifically as having parallel or perpendicular lines and the sizes of angles. | Venn diagrams <br> Pattern blocks | Selected response <br> Performance assessment <br> Discussion <br> Teacher observation |  |
| Quarter <br> 3 | M.4.G. 3 recognize a line of symmetry for a 2D figure as a line across the figure such that the figure can be folded along the line into matching parts, identify linesymmetric figures and | I can identity and draw lines of symmetry for a 2D shape. | How is symmetry determined for 2D shapes? | - Symmetry <br> - 2 dimensional figure | Students construct figures on geoboards with rubber bands. Use additional bands to create lines of symmetry. Then draw the figure on paper and cut and fold to check for understanding | Geoboard <br> Rubber bands <br> Scissors <br> Paper | Selected response <br> Performance assessment <br> Discussion <br> Teacher observation |  |


|  | draw lines of <br> symmetry. |  |  |  |  |  |  |
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| Quarter 1 | M.4.NBT. 1 Recognize that in a multidigit whole number, a digit in one place represents ten times what it represents in the place to its right. For example, recognize that $700 \div 70=10$ by applying concepts of place value and division. | I can recognize that in multidigit whole number a digit in one place represents ten times what it represents in the place to its right. | How does a digit's position affect its value? | - multi-digit <br> - whole number <br> - represent <br> - place value | Students use unit cubes to represent numbers. <br> Students use base ten blocks to represent a given number. <br> Place Value mat | Unit cubes <br> Base ten blocks <br> Place value mat | Selected response <br> Performance assessment <br> Discussion <br> Teacher observation |  |
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| Quarter 1 | M.4.NBT. 2 Read and write multidigit whole numbers using baseten numerals, number names and expanded | I can read and write whole numbers using numerals, words, and in expanded form. | How can numbers be represented differently? <br> How can place value be used to compare numbers? | - Whole numbers <br> - Place value <br> - Base ten <br> - Equivalence <br> - Accurate <br> - Equation <br> - Expanded form | Using knowledge of place value write numbers in expanded form. <br> Given a list of digits students will make two | Paper Pencil Computer | Selected response <br> Performance assessment <br> Discussion <br> Teacher observation |  |


|  | form and compare two multi-digit numbers based on meanings of the digits in each place, using >, = and < symbols to record the results of comparisons. | I can compare two large numbers using symbols to show the comparison. |  |  | different numbers, compare them and justify their values. <br> Students will research the sales of 5 like items from multiple fast food restaurants for a week and then order the total sales of items for each restaurant from least to greatest. Justify how they got their answers. |  |  |  |
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| Quarter 1 | M.4.NBT. 3 <br> Use place value understanding to round multi-digit whole numbers to any place. | I can round large whole numbers to any place value. | How can place value be used to round whole numbers? | Whole numbers <br> Place value Rounding Multi-digit equation | *When buying school clothes students will use ads to make list of items they want to purchase and round the price to the nearest dollar to estimate their budget of $\$ 500$. *When given 5 countries, students will pick three and research the population and round to the | computer, ads | Selected response <br> Performance assessment <br> Discussion <br> Teacher observation |  |


|  |  |  |  |  | nearest 10 <br> thousand and <br> justify their <br> answers. |  |  |
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| Timeline | $\begin{gathered} \text { NxG } \\ \text { Standard(s) } \end{gathered}$ | Student I Can Statement(s) / Learning Target(s) I | Essential Questions | Academic Vocabulary | Strategies / Activities | Resources / Materials | Assessments | Notes / Self Reflection |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Quarter <br> 1 | M.4.NBT. 4 Fluently add and subtract multi-digit whole numbers using the standard algorithm . | I can add and subtract multi-digit numbers. | How is the standard algorithm used to add and subtract multi-digit numbers? | - place value <br> - addition <br> - subtraction <br> - difference <br> - sum | Students use graph paper to accurately line up a multi-digit addition or subtraction problem. <br> *Students can use base ten blocks to subtract. <br> *Fact <br> Triangles | Graph paper <br> Base ten blocks <br> Fact triangles | Selected response <br> Performance assessment <br> Discussion <br> Teacher observation |  |
| Quarter 1 Quarter 2 Quarter 3 Quarter 4 | M.4.NBT. 5 Multiply a whole number of up to four digits by a one-digit whole number, | I can multiply a whole number up to four digits by a one-digit whole number. <br> I can multiply | How can you illustrate and explain the process for multiplying multi-digit numbers? <br> How can | - Multiplicatio n <br> - Multiply <br> - Product <br> - Whole number <br> - Place value | Arrays <br> Lattice multiplication <br> Traditional multiplication <br> Partial | Paper <br> Pencil <br> Fact <br> Triangles | Selected response <br> Performance assessment <br> Discussion <br> Teacher |  |


|  | multiply two two-digit numbers, using strategies based on place value and the properties of operations and illustrate and explain the calculation by using equations, rectangular arrays and/or area models. | two two-digit numbers. | equations, arrays, and models be used to illustrate multiplication by multi-digit numbers? |  | Product: Students write multidigit factors in expanded notation form when multiplying by one-digit factors. <br> *Fact Triangles |  | observation |  |
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| Quarter 1 Quarter 2 Quarter 3 Quarter 4 | M.4.NBT. 6 <br> Find wholenumber quotients \& remainders with up to four-digit dividends and one-digit divisors, using strategies based on place value, properties of operations and/or the relationship between multiplication | I can find whole- <br> number quotients and remainders with up to four-digit dividends and one-digit divisors. <br> divide, quotients, remainders, dividends, divisors | How can strategies such as place value, properties of operation, and the relationship between multiplication and division be used to illustrate and explain the process of finding whole number quotients? | - Divide <br> - Quotients <br> - Remainders <br> - Dividends <br> - Divisors | Flip Book <br> Fact <br> Triangles <br> Use grid paper to draw rectangular arrays. | Paper <br> Pencil <br> Flip Books <br> Fact triangles <br> Grid paper | Selected response <br> Performance assessment <br> Discussion <br> Teacher observation |  |


|  | and division <br> and illustrate <br> and explain <br> calculation <br> by using <br> equations, <br> rectangular <br> arrays <br> and/or area <br> models. |  |  |  |  |  |
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| Quarter 1 | M.4.OA. 1 <br> Interpret a multiplication equation as a comparison, e.g., interpret $35=5 \times 7$ as a statement that 35 is 5 times as many as 7 and 7 times as many as 5 and represent verbal statements of multiplicative comparisons as multiplication equations. | I can understand that multiplication fact problems can be seen as comparisons of groups. | How can you represent multiplication facts as comparison groups? | - Comparison <br> - Multiplication <br> - Product | *Students make trains using different color rods to represent comparison groups. | Cubes | Selected response <br> Performance assessment <br> Discussion <br> Teacher observation |  |
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| Quarter 1 Quarter 2 Quarter 3 Quarter 4 | M.4.OA. 2 multiply or divide to solve word problems involving multiplicative comparison, e.g., by using drawings and | I can multiply or divide to solve word problems by using drawings or writing equations and solving | How can the value of an unknown variable in a number sentence be found? | - Additive <br> - Comparison <br> - Divide <br> - Multiplicative <br> - Multiply <br> - Factor <br> - Product |  |  | Selected response <br> Performance assessment <br> Discussion <br> Teacher |  |


|  | equations with <br> a symbol for <br> the unknown <br> number to <br> represent the <br> problem and <br> distinguishing <br> multiplicative <br> comparison <br> from additive <br> comparison. |  | for a missing <br> number. |  |  |  |  |
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|  | strategies including rounding. | and rounding. |  |  |  |  |  |  |
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| $\begin{array}{\|l} \hline \text { Quarter } \\ 1 \\ \text { Quarter } \\ 2 \\ \text { Quarter } \\ 3 \end{array}$ | M.4.OA. 4 Find all factor pairs for a whole number in the range $1-100$, recognize that a whole number is a multiple of each of its factors, determine whether a given whole number in the range 1100 is a multiple of a given one-digit number and determine whether a given whole number in the range 1100 is prime or composite. | I can find all factor pairs for a number from 1 to 100. <br> I can determine whether a given whole number up to 100 is a prime or composite number. | How can factor pairs be used to determine if a number is composite or prime? <br> prime, composite, factor, whole number, multiple | - Prime <br> - Composite <br> - Factor <br> - Whole Number <br> - Multiple | Factor trees <br> *Use hundreds chart to shade all multiples of given number. <br> Students use counters to form rectangular arrays for given numbers and determine if the numbers are prime or composite. | Hundreds Chart <br> Counters | Selected response <br> Performance assessment <br> Discussion <br> Teacher observation |  |
| $\begin{aligned} & \hline \text { Quarter } \\ & 3 \\ & \text { Quarter } \\ & 4 \end{aligned}$ | M4.4.OA. 5 <br> Generate a number or shape pattern that follows a given rule and identify apparent features of the pattern that were not explicit in the rule itself. | I can create a number or shape pattern that follows a given rule. <br> I can notice different features of a pattern once it is created by a rule. | How can patterns help me make a generalization about numbers and number sequences? <br> pattern, rule, term (of a sequence), unknown | - Pattern <br> - Rule <br> - Term of a sequence <br> - Unknown | Input/output Model <br> Hundreds Chart <br> Clear Counters | Hundreds Chart <br> Counters | Selected response <br> Performance assessment <br> Discussion <br> Teacher observation |  |


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| Quarter 1 Quarter 2 Quarter 3 | M.4.NF. 1 <br> Explain why a fraction $a / b$ is equivalent to a fraction ( $n \times$ a) $/(n \times b)$ by using visual fraction models, with attention to how the number and size of the parts differ even though the two fractions themselves are the same size and use this principle to recognize and generate equivalent fractions. | I can explain (and show models for) why multiplying a numerator and a denominator by the same number does not change the value of a faction. | How can equivalent fractions be identified? <br> common denominat or, compare, decompos e, denominat or, equivalent, fraction, numerator | - Common denominator <br> - Compare <br> - Decompose <br> - Denominator <br> - Equivalent <br> - Fraction <br> - Numerator | *Students use centimeter grid paper to create strips showing multiples of given numbers <br> Students cut strips apart and line up equivalent fractions. | Grid paper | SelectedresponsePerformanceassessmentDiscussionTeacher <br> observat <br> ion |  |
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| Quarter 1 Quarter 2 Quarter 3 | M.4.NF. 2 <br> Compare two fractions with different numerators and different denominators, e.g., by creating common denominators, numerators, or by comparing to a benchmark fraction such as $1 / 2$, recognize that comparisons are valid only when the two fractions refer to the same whole and record the results of comparisons with symbols $>$, $=$ or <, and justify the conclusions, e.g., by using a visual fraction model. | I can compare two fractions. <br> I can compare fractions using symbols and justify the comparison by using models. | Why is it important for students to understand that fractions are parts of a whole? <br> How can fractions be compared with different denominators ? <br> common denominator, compare, decompose, denominator, equivalent, fraction, numerator | - Common denominator <br> - Compare <br> - Decompose <br> - Denominator <br> - Equivalent <br> - Fraction <br> - Numerator | Visual fraction models <br> Students create models of fractions that refer to the same whole. <br> Students compare fractions to determine greater than, less than, or equal to and record the results using >, <, or $=$. | Visual fraction models |  |  |
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| Quarter 2 Quarter 3 Quarter 4 | M.4.NF. 3 understand a fraction $a / b$ with $a>1$ as a sum of fractions $1 / b$ <br> a. understand | I can understand that improper fractions have a greater numerator | How can you add and subtract fractions? | - Addition <br> - Subtraction <br> - Common denominator <br> - Fraction <br> - Compare | Use fraction circles to add or subtract fractions. Students join pieces to | Fraction circles <br> Paper <br> Pencil | Selected respons e <br> Perform ance |  |


| addition and subtraction of fractions as joining and separating parts referring to the same whole, <br> b. decompose <br> a fraction into a <br> sum of fractions with the same denominator in more than one way, recording each decomposition by an equation and justify decompositions , e.g., by using a visual fraction model. <br> c. add and subtract mixed numbers with like denominators, e.g., by replacing each mixed number with an equivalent fraction and/or by using properties of operations and the relationship between addition and subtraction, | than <br> denominator <br> I can <br> understand <br> addition and <br> subtraction of <br> fractions as <br> joining and <br> separating <br> parts referring <br> to the same <br> whole. <br> I can <br> decompose a <br> fraction into a <br> sum of <br> fractions with <br> the same <br> denominator. <br> I can add and <br> subtract <br> mixed <br> numbers with <br> like <br> denominators. <br> I can solve <br> word <br> problems <br> involving <br> addition and <br> subtraction of <br> fractions with <br> like <br> denominators. | addition, subtraction, common denominator, fraction, compare, decompose, sum, difference, denominator, numerator, improper fractions, equivalent, mixed number, unit fraction | - Decompose <br> - Sum <br> - Difference <br> - Denominator <br> - Numerator <br> - Improper fraction <br> - Equivalent <br> - Mixed number <br> - Unit fraction | determine the sum and separate pieces to determine the difference. <br> Using fraction models, students demonstrate all possible combinations. | Fraction models | assessm ent <br> Discussi on <br> Teacher observati on |  |
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|  | d. solve word problems involving addition and subtraction of fractions referring to the same whole and having like denominators, e.g., by using visual fraction models and equations to represent the problem. |  |  |  |  |  |  |  |
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| $\begin{aligned} & \text { Quarter } \\ & 2 \\ & \text { Quarter } \\ & 3 \\ & \text { Quarter } \\ & 4 \end{aligned}$ | M.4.NF. 4 <br> apply and extend previous understandings of multiplication to multiply a fraction by a whole number <br> a. understand a fraction $a / b$ as a multiple of 1/b, <br> b. understand a multiple of $a / b$ as a multiple of $1 / b$, and use this understanding to multiply a fraction by a whole number, c. solve word problems involving | I can multiply a fraction by a whole number. <br> I can solve word problems involving multiplication of a fraction by a whole number. | How do you multiply a whole number by a fraction? <br> common denominator, compare, decompose, denominator, equivalent, fraction, numerator, multiplication, product, whole number | - Common denominator <br> - Compare <br> - Decompose <br> - Denominator <br> - Equivalent fraction <br> - Numerator <br> - Multiplication <br> - Product <br> - Whole number | Students use visual fraction models to represent an understanding of a fraction as a multiple of its parts. <br> Students decompose the fraction into equal parts and write a multiplication equation to represent the factors. | Fraction Models | Selected respons e <br> Perform ance assessm ent <br> Discussi on <br> Teacher observati on |  |


|  | multiplication of <br> a fraction by a <br> whole number, <br> e.g., by using <br> visual fraction <br> models and <br> equations to <br> represent the <br> problem. |  |  |  |  |  |
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|  | measurement <br> equivalents in a <br> two column <br> table, (For <br> example, know <br> that 1 ft is 12 <br> times as long <br> as 1 in. Express <br> the length of a 4 <br> ft snake as 48 <br> in.) and <br> generate a <br> conversion <br> table for feet <br> and inches <br> listing the <br> number pairs <br> (1, 12), (2, 24), <br> (3, 36). |  |  |  |  |  |
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|  | measurements <br> given in a larger <br> unit in terms of <br> a smaller unit <br> and represent <br> measurement <br> quantities using <br> diagrams such <br> as number line <br> diagrams that <br> feature a <br> measurement <br> scale. |  |  |  |  |  |
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|  | of a circle is <br> called a "one- <br> degree angle," <br> and can be <br> used to <br> measure <br> angles, <br> b. an angle <br> that turns <br> through $n$ one- <br> degree angles <br> is said to have <br> an angle <br> measure of $n$ <br> degrees. |  |  |  |  |  |
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|  |  <br> subtraction <br> problems to find <br> unknown <br> angles on a <br> diagram in real- <br> world and <br> mathematical <br> problems, e.g., <br> by using an <br> equation with a <br> symbol for the <br> unknown angle <br> measure. |  |  |  |  |  |
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